## Laboratory Work № 3.30

Measuring resistance using the bridge method

The aim: to explore laws of DC and to measure resistance in a bridge method;

Accessory: model of the gear, source of power supply;

Description of the device and piece of theory



Scheme of the bridge is a rectangle of resistance. At one diagonal there is a source of supply, at another-galvanometer (current detector). The latter diagonal is called as a bridge. If we know three resistances R, R(1), R(2), it's easy to define the forth R(x).

If key P and button K are pressed, there is a current in BD. Its direction depends on which point has greater potential. If potentials 're equal there is no current in the diagonal:

 $\varphi(B)-\varphi(\mathcal{A})=0;$  (1); In this case current I is divided in two currents I(1-AДB) and I(2-AБB). According to the DC laws, it is obtained:

 $A \not\square: U = \overset{I_1 R_1}{1};$  (2); It follows, that:

$$A \mathbf{E}: U = {}^{I_2 K_x};$$
 (3);

D

 $I_1 R_1 = I_2 R_x;$  (4);

For ДB and БB:

$$I_1 R_2 = I_2 R_1$$
; (5)  $\rightarrow$ 

$$\frac{R_1}{R_2} = \frac{R_{\chi}}{R} \qquad R_{\chi} = \frac{R_1}{R_2}R$$

Usually, AD and DC are changed by rheochord (slide-wire)- a kind of homogeneous wire set along AC.



In this case R(1) is for A $\square$  and R(2)- for  $\square B$ . So, we have:

$$R_{1} = \rho \frac{\ell_{1}}{S}; \quad (7); \qquad \qquad R_{2} = \rho \frac{\ell_{2}}{S}; \quad (8); \quad \Rightarrow$$

$$\frac{\frac{R_{1}}{R_{2}} = \frac{\ell_{1}}{\ell_{2}}}{(9);}$$

Using formulas №9 and №6 we obtain:

$$R_{\chi} = \frac{\ell_1}{\ell_2} R.$$

													-
Ň	Опір	$\ell_1$	зультат имірів <sup>ℓ</sup> 2	ги R	R <sub>х,</sub> Ом	$\left< \begin{array}{c} R_{\chi} \\ OM \end{array} \right>$	$\Delta R_{x_i}$ Om	ΔR <sup>2</sup> <sub>x<sub>i</sub></sub> , Ом	$S\langle R_x \rangle$ Om	α	$t_{\alpha,n}$	$\Delta R_{\chi}$ Om	E, %
1 2 3	R <sub>x1</sub>												
1 2 3	$R_{x_2}$												
1 2 3	Послі- довне з'єд- нання												
1 2 3	Пара- лельне з'єд- нання												

After filling up the table, measured values should be compared with theoretical ones. *R(one by one)=* 

$$R(one by one) = \langle R_1 \rangle + \langle R_2 \rangle;$$

 $R(parallel) = \frac{\langle R_1 \rangle \langle R_2 \rangle}{\langle R_1 \rangle + \langle R_2 \rangle};$